Ultrahigh-energy scattering and locality in string theory Steven B. Giddings

Based on: hep-th/0604072; arXív:0705.1816, w. Gross and Maharana Is there evidence for nonlocality in high-energy scattering? Does string extendedness provide the mechanism for nonlocality?

What does this have to do w/BH formation? (Does it prevent? Or is this BH formation?) (Q's: Strominger, Gross, ...;

string spreading - Susskind)

Long strings? $L \sim E/M_s^2$

 $\begin{array}{ll} \mbox{String uncertainty principle?} & \Delta X \geq \frac{1}{\Delta p} + \alpha' \Delta p \\ \mbox{(Veneziano, Gross)} \end{array}$

 $(\leftrightarrow \text{nonlocality})$

(Proposed app. to BH info: LPSTU) Indeed, stringy modifications to scattering:

$$\mathcal{A}_0^{\rm string}(s,t) \propto g_s^2 rac{\Gamma(-t/8)}{\Gamma(1+t/8)} s^{2+t/4} e^{2-t/4}$$

V5.

$$\mathcal{A}_0^{\mathrm{grav}}(s,t) \propto G_D \frac{s^2}{t}$$



To check, compare loops:

(Following Amati, Ciafaloni, Veneziano; Muzinich-Soldate; SBG, Gross, Maharana)

Ultrahigh-E: Eikonal



$$i\mathcal{A}_{N}^{\text{string}} = \frac{2s}{(N+1)!} \int \left[\prod_{j=1}^{N+1} \frac{d^{D-2}k_j}{(2\pi)^{D-2}} \frac{i\mathcal{A}_{0}^{\text{string}}(s, -k_j^2)}{2s} \right] (2\pi)^{D-2} \delta^{D-2} \left(\sum_{j} k_j - q_\perp \right)^{D-2} \delta^{D-2} \left(\sum_{j=1}^{N+1} \frac{d^{D-2}k_j}{(2\pi)^{D-2}} \frac{i\mathcal{A}_{0}^{\text{string}}(s, -k_j^2)}{2s} \right)^{D-2} \delta^{D-2} \left(\sum_{j=1}^{N+1} \frac{d^{D-2}k_j}{(2\pi)^{D-2}} \frac{i\mathcal{A}_{0}^{\text{strin$$

 $\prod_{j=1}^{N+1} \frac{E^{2-\alpha' k_j^2}}{k_j^2} \qquad \qquad 1) \ k_j \approx q/(N+1)$ $2) \ E^{-\alpha' q^2/(N+1)}$

Thus at large N, string corrections get smaller Which N dominates? Can sum eikonal series: $i\mathcal{A}_{eik}(s,t) = 2s \int d^{D-2}\mathbf{b}e^{-iq_{\perp}\cdot\mathbf{b}}(e^{i\chi(b)}-1)$ with $\chi(b) \sim G_D \frac{E^2}{bD-4}$

Dominant N: $N \sim \frac{G_D E^2}{b^{D-4}}$;

 \Leftrightarrow

At $t \sim -1$: $N \sim (G_D E^2)^{\frac{1}{D-3}}$

. Large loop order dominates.

Two Aichelburg-Sex shocks (ACV: checks)



But - can excite strings: "diffractive excitation" (ACV)

Indeed, unexcited (elastic) amplitude, near Schwarzschild radius:

$$\mathcal{A}_{el} \sim \exp\left\{-E^{(D-4)/(D-3)}\right\} \qquad !!$$

So:

?? No black hole?? Info carried away? (Venezíano, 2004)

Intuition: string only "spread out" "after" collision?? But: string spreading is a notoriously fuzzy concept...

Where is the string?

Karlíner, Klebanov, Susskind: ít depends





"low resolution"

"high resolution"

So: need to check for process in question ...

A test:



 $ds^{2} = -dudv + dx^{i}dx^{i} + \Phi(\rho)\delta(u)du^{2}$ $\Phi(\rho) = -8G\mu\ln\rho \quad , \quad D = 4$ $\Phi(\rho) = \frac{16\pi G\mu}{\Omega_{D-3}(D-4)\rho^{D-4}} \quad , \quad D > 4$

Scattering in a plane-wave metric: de Vega and Sanchez; Horowitz and Steif *Light cone quantization*

Compute for incoming unexcited string: $\langle \hat{X}^i_{\epsilon}(\tau,\sigma) \hat{X}^i_{\epsilon}(\tau,\sigma) \rangle$

Where $\hat{X}^i_\epsilon(\tau,\sigma)$ is deviation from CM of string, w/world sheet regulator ϵ



Indeed, origin of effect is "tidal string excitation" $(\Delta X)^2 \sim |\ln \epsilon| + \left[\frac{G_D E^2}{b^{D-2}}\tau\right]^2 |\ln \tau| \qquad \epsilon \ll \tau$

For small tau: inside trapped surface

Thus:

- String appears to behave ~locally during collision
- Trapped surface appears to form
 This corresponds to breakdown of the gravitational loop expansion





Suggested "phase diagram:"



Locality?

Strong gravity/ black hole regime:

 $\sim e^{-ER_S(E)} \sim e^{-E^{(D-2)/(D-3)}}$

Local QFT bounds

Cerulus-Martín

 $\sigma_T(E) \sim [R_S(E)]^{D-2} \sim E^{\frac{D-2}{D-3}} \qquad \sigma_T \leq c(\ln E)^{D-2}$ Froissart $\mathcal{A}_{el}(s,t) \sim e^{-S_{BH}} \qquad |\mathcal{A}_{el}(s,t)| > e^{-f(\theta)E\ln E}$

No clear role for strings ... just strong gravity